## <<黎曼几何>>

### 图书基本信息

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### 内容概要

本书是一部值得一读的研究生教材,内容主要涉及黎曼几何基本定理的研究,如霍奇定理、rauch比较定理、lyusternik和fet定理调和映射的存在性等。

另外, 书中还有当代数学研究领域中的最热门论题, 有些内容则是首次出现在教科书中。 该书适合数学和理论物理专业的研究生、教师和科研人员阅读研究。



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