

## <<泛函分析>>

### 图书基本信息

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### 内容概要

《泛函分析（英文版）》在Princeton大学使用，同时在其它学校，比如UCLA等名校也在本科生教学中得到使用。  
其教学目的是，用统一的、联系的观点来把现代分析的“核心”内容教给本科生，力图使本科生的分析学课程能接上现代数学研究的脉络。

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